

Lifting Verification Results for Preemption Statements

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Outline

- 1 Introduction
 - Motivation
 - Synchronous Model of Computation
 - Preemption Behavior
- 2 Lifting Verification Results for Preemption Statements
 - Abort Transformation
 - Suspend Transformation
- 3 Conclusion

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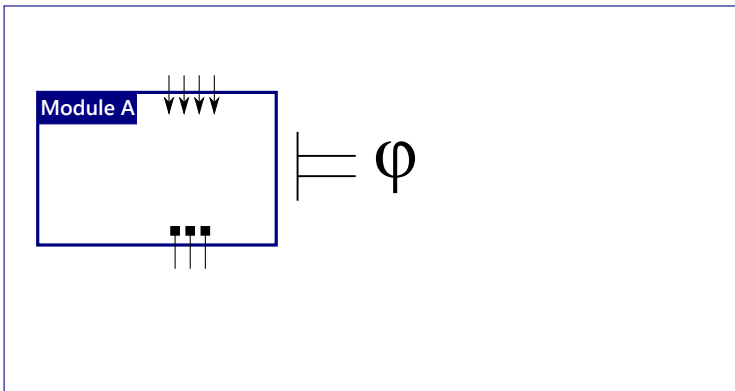
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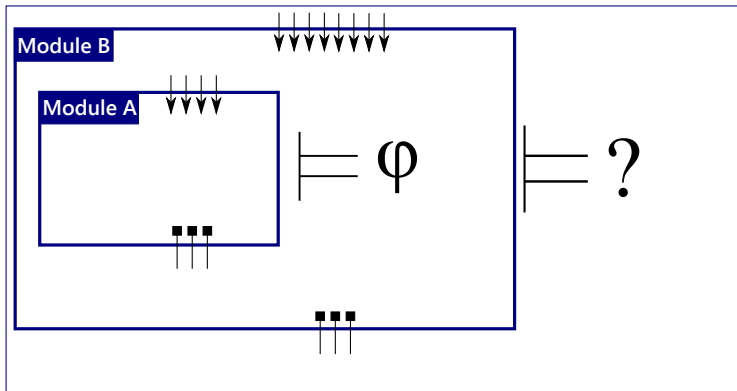
Motivation

interactive proof rules for module calls in synchronous programs

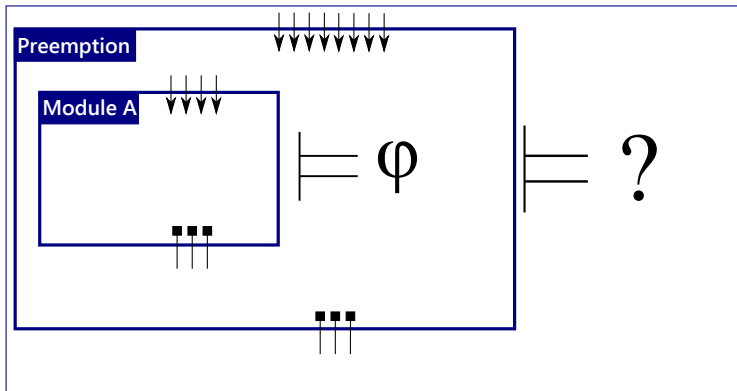


Motivation

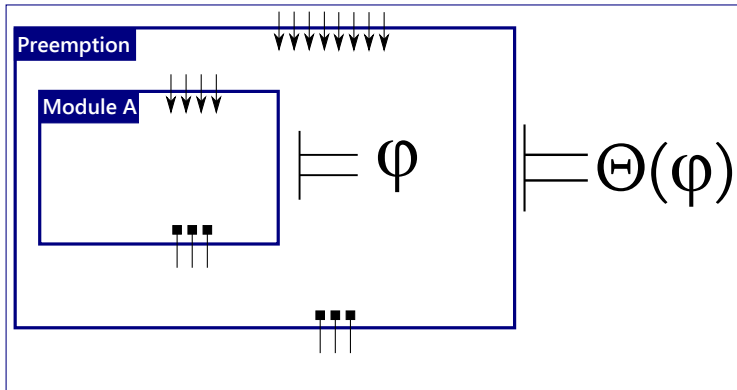
interactive proof rules for module calls in synchronous programs



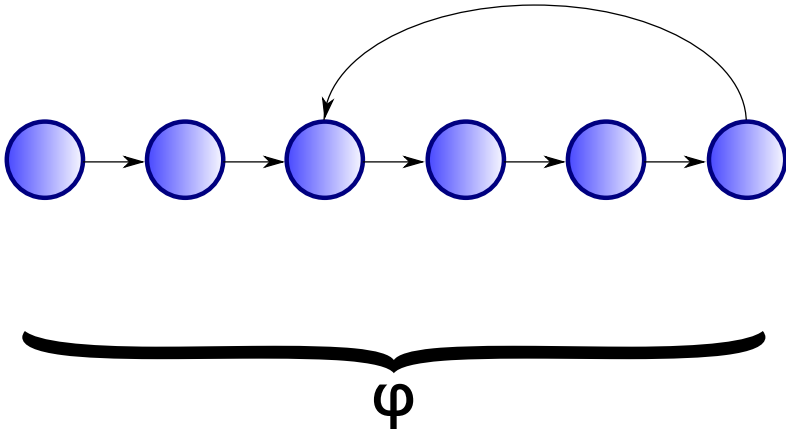
What is this talk about?



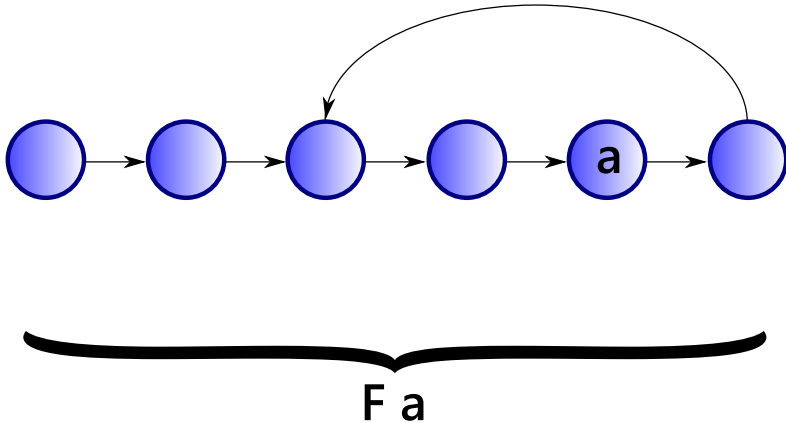
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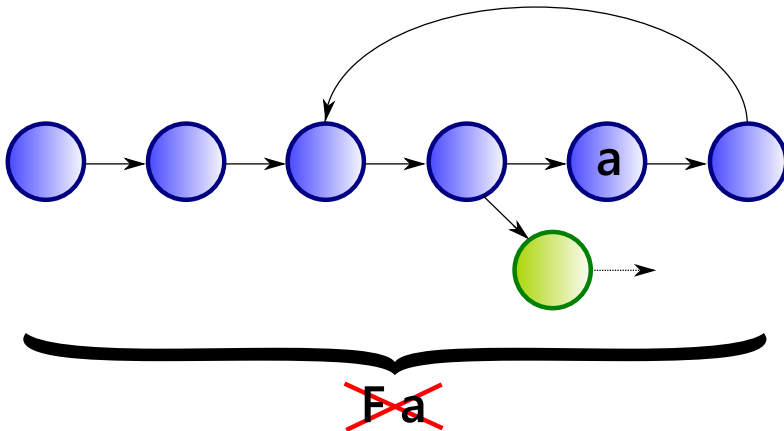
Influence of Preemption on Modules



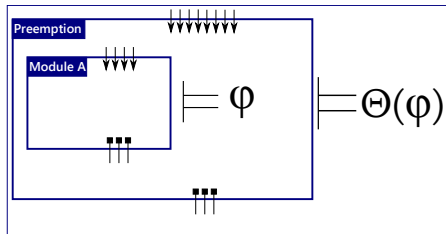
Influence of Preemption on Modules



Influence of Preemption on Modules



What is this talk about?



Approach

- restriction to preemption specific behavior
- step wise application possible
- preemption-specific Θ
- specification should be preserved 'as much as possible'
- correct by construction

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Synchronous Model of Computation

- execution is divided into a sequence of reaction steps
- behavior in a reaction step
 - starts/ends in a **pause**
 - all inputs are read
 - all outputs are produced (instantaneously)
 - new internal state is determined
 - each variable has a **unique** value

Outline

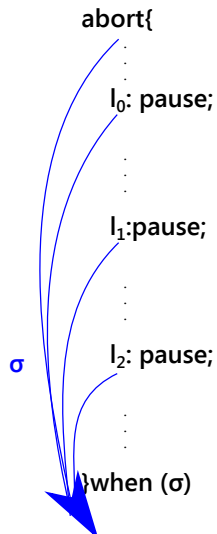
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Example

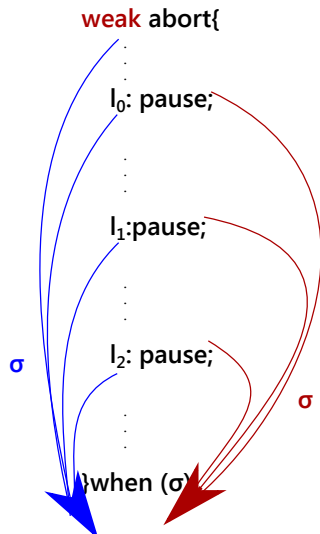
abort behavior

- execution of nested program part is stopped

Example



Example

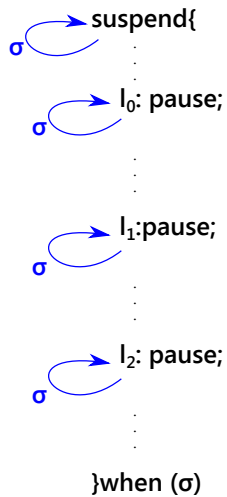


Example

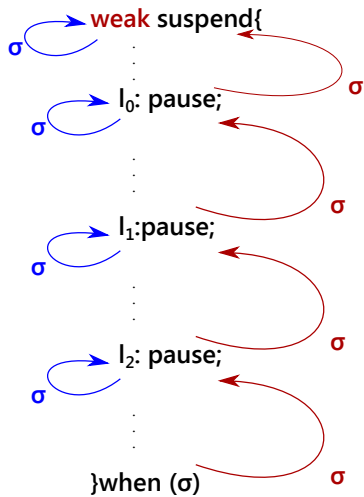
suspend behavior

- execution of nested program part is (infinitely) postponed

Example



Example



Outline

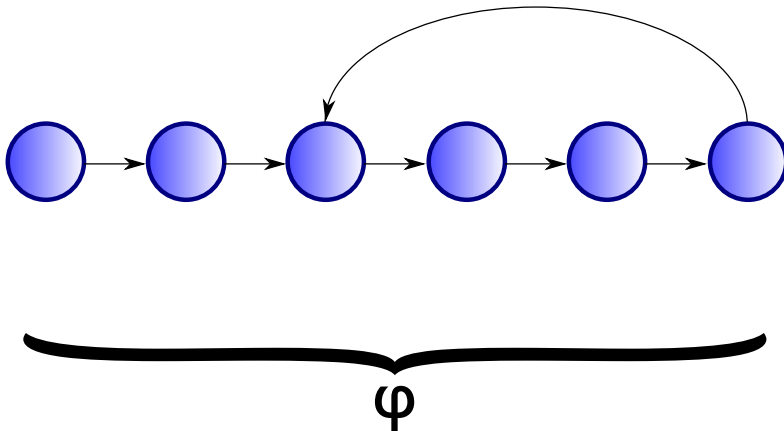
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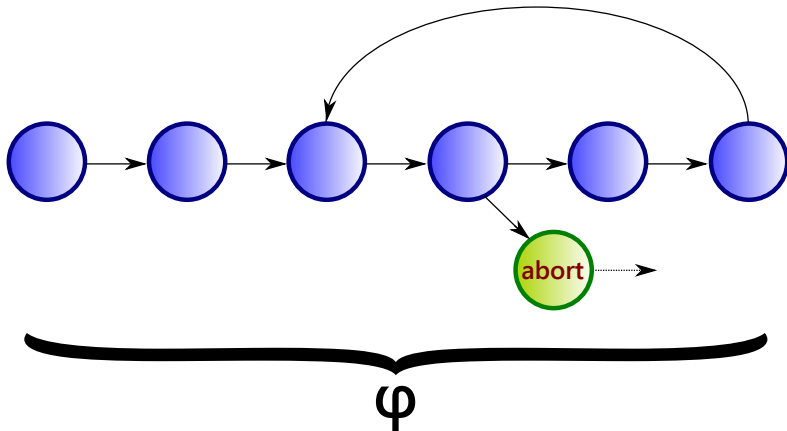
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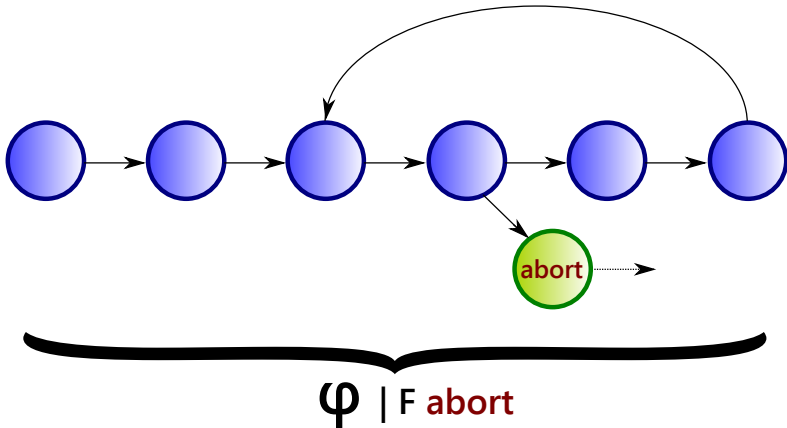
Idea

- **abort** stops execution
- preemptive specification preserves 'as much as possible'
- preemptive specification $\Theta_{ab}^{st}(\varphi)$ for φ is satisfied
 - φ already satisfied
 - abortion in a state not violating φ

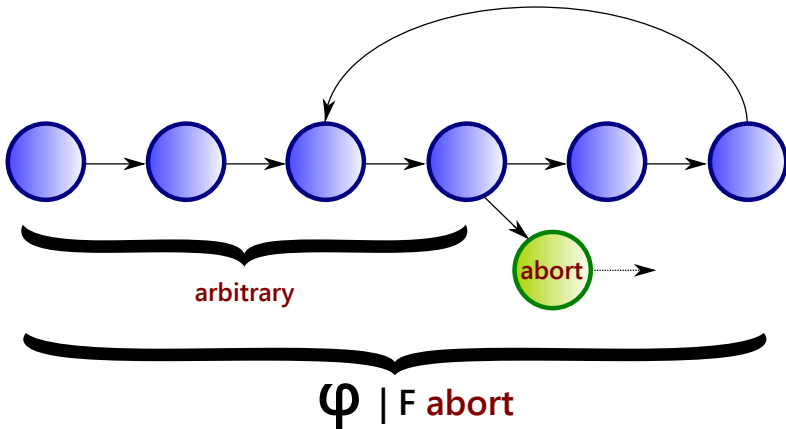




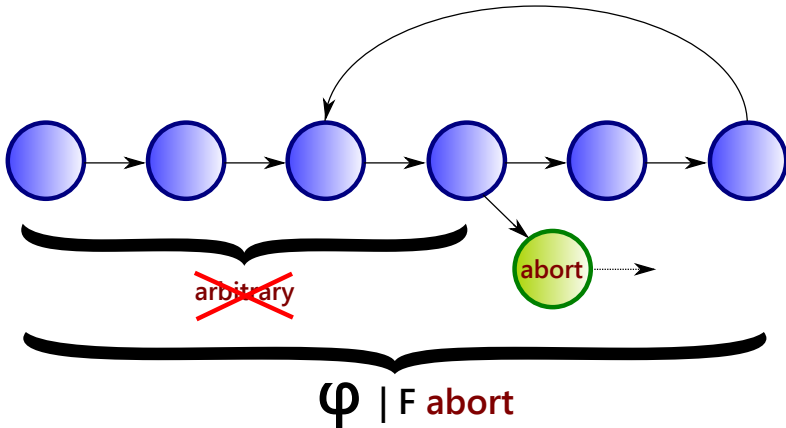
Naive Transformation #1 (too weak)



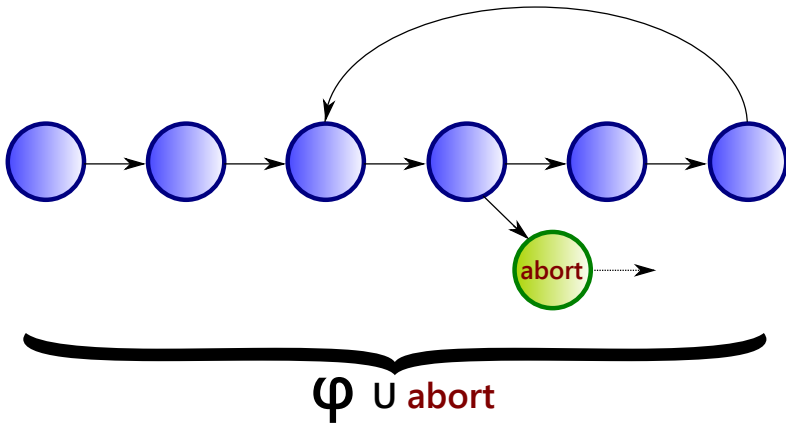
Naive Transformation #1 (too weak)



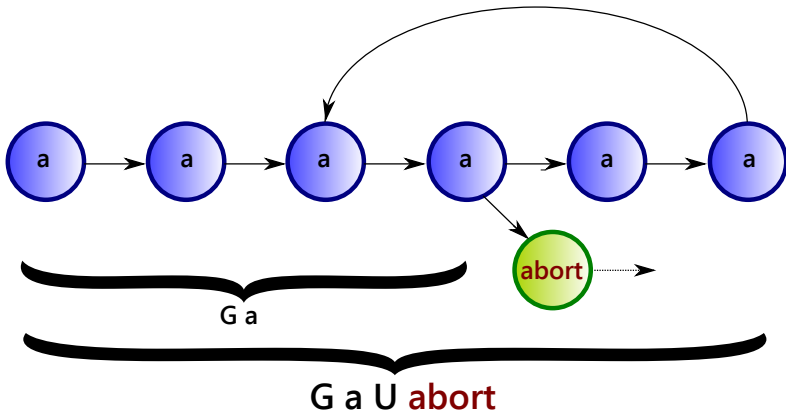
Naive Transformation #1 (too weak)



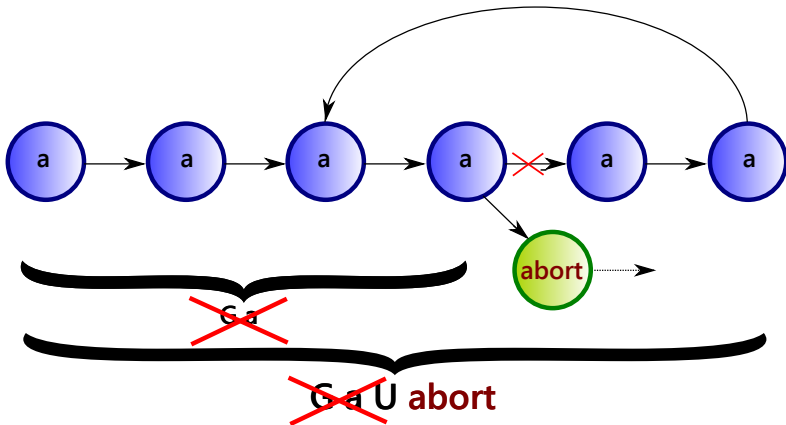
Naive Transformation #2 (too strong)



Naive Transformation #2 (too strong)



Naive Transformation #2 (too strong)



Correct Transformation for Abort

Transformation $\Theta_{ab}^{st}(\varphi, \sigma)$

The transformation $\Theta_{ab}^{st}(\varphi, \sigma)$ that generates an **abort**-sensitive specification for $A\varphi$ given in NNF is defined recursively as

$$\Theta_{ab}^{st}(\varphi, \sigma) := \begin{cases} \sigma \vee \varphi, & \text{if } \varphi \text{ is propositional} \\ \sigma \vee \mathbf{X}(\Theta_{ab}^{st}(\psi, \sigma)), & \text{if } \varphi = \mathbf{X}\psi \\ \Theta_{ab}^{st}(\psi, \sigma) \otimes \Theta_{ab}^{st}(\gamma, \sigma), & \text{if } \varphi = \psi \otimes \gamma \text{ with} \\ & \otimes \in \{\underline{U}, U, \wedge, \vee\}. \end{cases}$$

Examples

$$\begin{aligned} \Theta_{ab}^{st}(Xa, \sigma) &\equiv \sigma \vee \Theta_{ab}^{st}(Xa, \sigma) &\equiv \sigma \vee X(\sigma \vee a) \\ \Theta_{ab}^{st}(Ga, \sigma) &\equiv \Theta_{ab}^{st}([a \underline{U} 0], \sigma) &\equiv [(\sigma \vee a) \underline{U} \sigma] &\equiv [a \underline{U} \sigma] \\ \Theta_{ab}^{st}(Fa, \sigma) &\equiv \Theta_{ab}^{st}([1 \underline{U} a], \sigma) &\equiv [1 \underline{U} (a \vee \sigma)] &\equiv F(a \vee \sigma) \end{aligned}$$

Interactive Proof Rule

$$\frac{M \models \varphi}{\mathbf{abort}\{M\}\mathbf{when}(\sigma) \models \Theta_{\text{ab}}^{\text{st}}(\varphi, \sigma)}$$

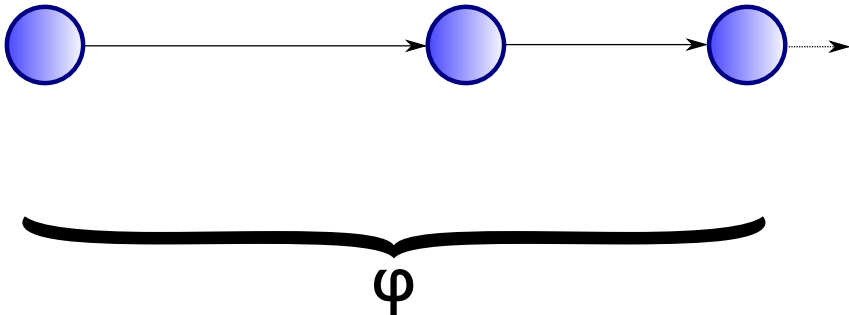
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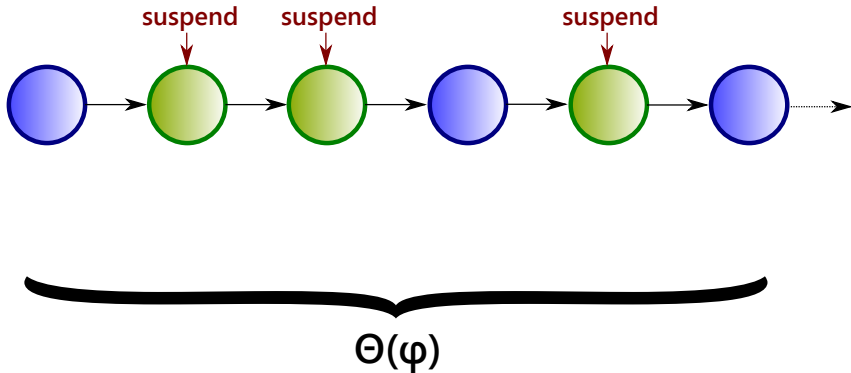
Idea

- **suspend** postpones execution
- preemptive specification $\Theta_{sp}^{st}(\varphi)$ for φ is satisfied
 - ignoring suspended states satisfies φ
 - possibility of infinite suspension

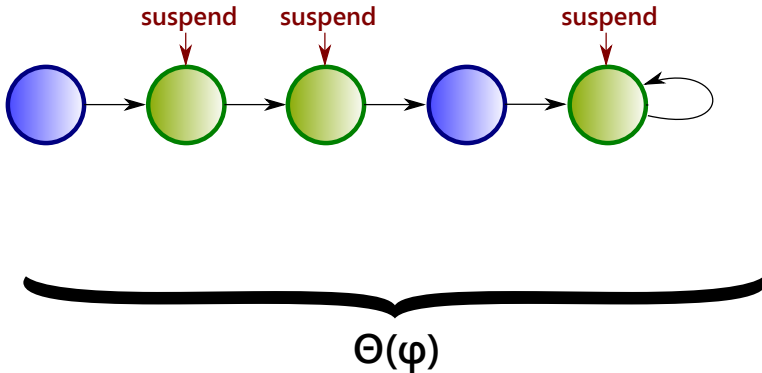
Idea for Suspend



Idea for Suspend



Idea for Suspend



Correct Transformation for Suspend

Transformation $\Theta_{sp}^{st}(\varphi, \sigma)$

For a given specification $A\varphi$, the transformation $\Theta_{sp}^{st}(\varphi, \sigma)$ is defined as

$$\Theta_{sp}^{st}(\varphi, \sigma) := \begin{cases} [\varphi \text{ W } \neg\sigma], & \text{if } \varphi \text{ is propositional} \\ [(\mathbf{x}\Theta_{sp}^{st}(\psi, \sigma)) \text{ W } \neg\sigma], & \text{if } \varphi = \mathbf{x}\psi \\ \Theta_{sp}^{st}(\psi, \sigma) \otimes \Theta_{sp}^{st}(\gamma, \sigma), & \text{if } \varphi = \psi \otimes \gamma \text{ with} \\ & \otimes \in \{\underline{\text{U}}, \text{U}, \wedge, \vee\}. \end{cases}$$

Examples

$$\begin{aligned} \Theta_{sp}^{st}(\text{Xa}, \sigma) &\equiv [(\text{X}\Theta_{sp}^{st}(\text{a}, \sigma)) \text{ W } \neg\sigma] \equiv [(\text{X}[\text{a W } \neg\sigma]) \text{ W } \neg\sigma] \\ \Theta_{sp}^{st}(\text{Ga}, \sigma) &\equiv \Theta_{sp}^{st}([\text{a U } 0], \sigma) \equiv [[\text{a W } \neg\sigma] \text{ U } 0] \equiv \text{G}[\text{a W } \neg\sigma] \\ \Theta_{sp}^{st}(\text{Fa}, \sigma) &\equiv \Theta_{sp}^{st}([1 \underline{\text{U}} \text{a}], \sigma) \equiv [1 \underline{\text{U}} [\text{a W } \neg\sigma]] \equiv \text{F}[\text{a W } \neg\sigma] \end{aligned}$$

Interactive Proof Rule

$$\frac{M \models \varphi}{\mathbf{suspend}\{M\}\mathbf{when}(\sigma) \models \Theta_{\text{sp}}^{\text{st}}(\varphi, \sigma)}$$

Outline

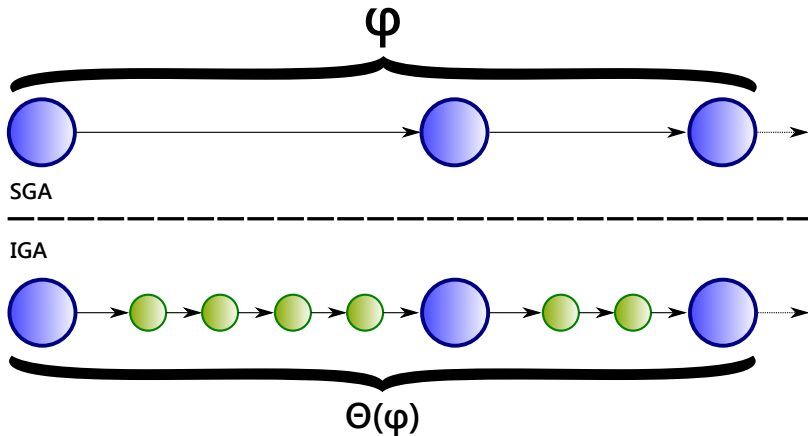
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Summary

- synchronous model of computation
- preemption behavior
- reuse of verification results in a preemption context
- automatic and correct-by-construction transformation

Application of Suspend Transformation

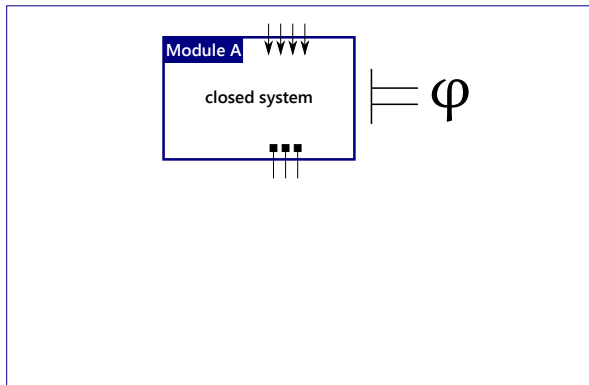
- Clock refinement
- Translation from synchronous to interleaved guarded actions



The End

Questions?

Already Published Approach

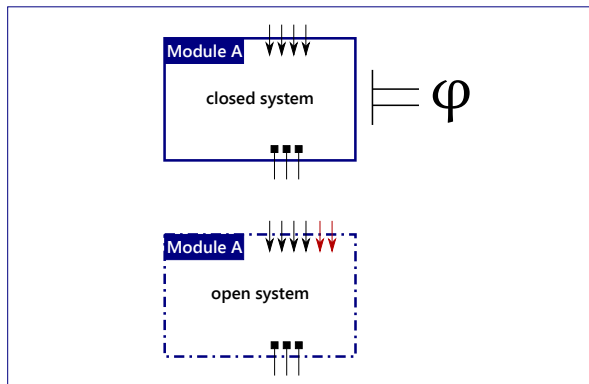


[GeSc13a]

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Modular Verification of Synchronous Programs, ACSD 2013

Already Published Approach

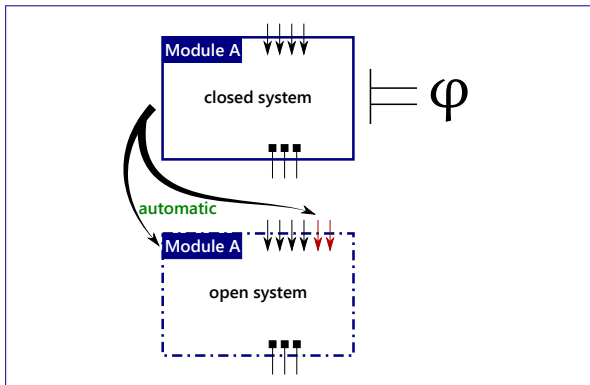


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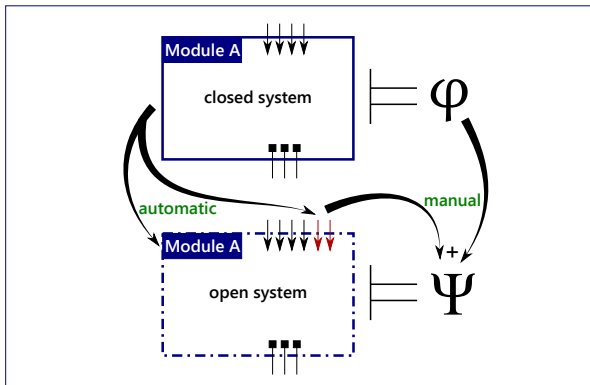


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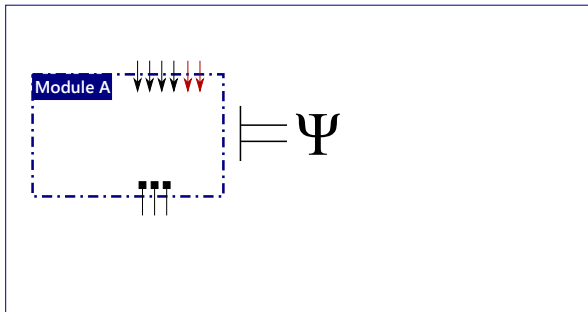


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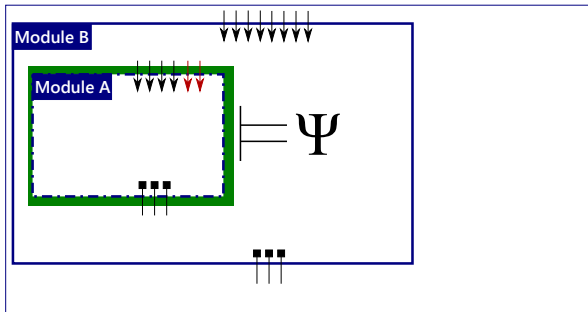
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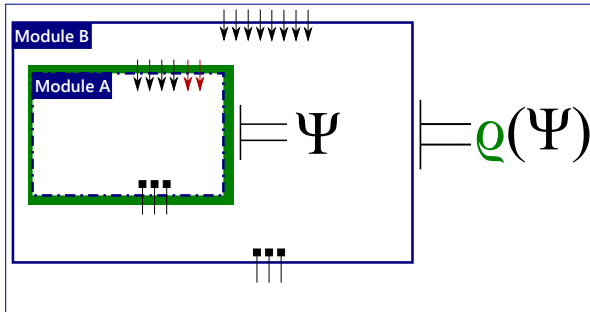
Already Published Approach



Already Published Approach



Already Published Approach



Advantages and Disadvantages

- + reuse of verification results
- manual transition step
- additional verification task
- o no necessary relation to the original specification

Averest Design Flow

